Lesson 30-6: Find Segment Lengths in Circles When two chords intersect in the interior of a circle, each chord is divided into two segments that are Called segments of a Chord. *Segments of Chords Theorem: If two chords intersect in the interior of a circle, then the product of the lengths of the segments of one chord is equal to the product of the lengths of the segments of the other chord. EA x EB = EC x ED [Ex. 1] Find AB and CD. Your Turn 1) Solve for x. A <u>secant segment</u> is a segment that contains a chord of a circle, and has exactly one endpoint outside the circle. The part of the secant segment that is outside the circle is called and external segment. * Segments of a Secant Theorem: If two secant segments share the same endpoint outside a circle, then the product of the lengths of one secant segment and its external segment equals the product of the lengths of the other secant segment and its external segment. EA x EB = EC x ED [Ex 2] Find EB and ED. Your Turn Solve for x. * Segments of Secants and Tangents Theorem: If a secant segment and a tangent segment share an endpoint outside a circle, then the product of the lengths of the secant segment and its external segment equals the square of the length of the tangent segment. $\mathrm{EA}^2 = \mathrm{EC} \times \mathrm{ED}$ [Ex 3] Find ED. Your Turn Solve for x.